

Text S3. Modeling presynaptic Ca^{2+} dynamics using non-stationary single compartment model

The non-stationary model of presynaptic Ca^{2+} dynamics has been previously described by [1,2]. Briefly, the model assumes that presynaptic Ca^{2+} dynamics depend on the Ca^{2+} entry rate j_{Ca} , binding-unbinding reactions with the endogenous buffers B_i and Ca^{2+} indicator I , and Ca^{2+} removal. The latter is a complex process involving diffusion, pumping out and/or sequestration; generally, it could be approximated by a first-order reaction [3,4] with rate $P = k_{rem} \left([Ca^{2+}] - [Ca^{2+}]_{rest} \right)$. These considerations are reflected in the system of equations below, where the brackets denote concentrations, and the superscript indices of the reaction rate constants denote endogenous Ca^{2+} buffers B_i or the indicator I .

$$\begin{aligned} \frac{d[Ca^{2+}]}{dt} &= j_{Ca} + k_{off}^I [CaI] - k_{on}^I [Ca^{2+}][I] + \sum_i \left(k_{off}^{B_i} [CaB_i] - k_{on}^{B_i} [Ca^{2+}][B_i] \right) - k_{rem} \left([Ca^{2+}] - [Ca^{2+}]_{rest} \right) \\ \frac{d[I]}{dt} &= k_{off}^I [CaI] - k_{on}^I [Ca^{2+}][I] \\ \frac{d[B_i]}{dt} &= k_{off}^{B_i} [CaB_i] - k_{on}^{B_i} [Ca^{2+}][B_i] \end{aligned}$$

The AP-dependent Ca^{2+} influx time course j_{Ca} was approximated by the Gaussian

$$\text{function } j_{Ca} = \frac{\Delta[Ca^{2+}]_{total}}{\sigma\sqrt{2\pi}} \exp\left(-\frac{(t-t_{AP})^2}{2\sigma^2}\right) \text{ where } t_{AP} \text{ denotes the time of the AP and}$$

$\Delta[Ca^{2+}]_{total}$ denotes the total time integral of the volume averaged presynaptic Ca^{2+}

entry. The mass conservation rules for this system are: $[I]_{total} = [I] + [CaI]$,

$$[B_i]_{total} = [B_i] + [CaB_i].$$

For each set of simulations we numerically solved the above model using the adaptive step-size Runge-Kutta algorithm and calculated the Fluo-4 fluorescence profile normalized to maximal fluorescence of the saturated indicator:

$$\frac{F(t)}{F_m} = \frac{[Ca^{2+}](t) \cdot \gamma + [I](t)}{[I]_{total} \cdot \gamma}$$
 (where $\gamma \sim 100$ is the dynamic range of Fluo-4). The

parameters used in the numerical model are summarized in Table S1.

Reference List

1. Scott R, Rusakov DA (2006) Main determinants of presynaptic Ca²⁺ dynamics at individual mossy fiber-CA3 pyramidal cell synapses. *J Neurosci* 26: 7071-7081.
2. Sabatini BL, Regehr WG (1998) Optical measurement of presynaptic calcium currents. *Biophys J* 74: 1549-1563.
3. Jackson MB, Redman SJ (2003) Calcium dynamics, buffering, and buffer saturation in the boutons of dentate granule-cell axons in the hilus. *J Neurosci* 23: 1612-1621.
4. Matveev V, Zucker RS, Sherman A (2004) Facilitation through buffer saturation: constraints on endogenous buffering properties. *Biophys J* 86: 2691-2709.